

COSNET: Connecting Heterogeneous Social Networks with Local and Global Consistency

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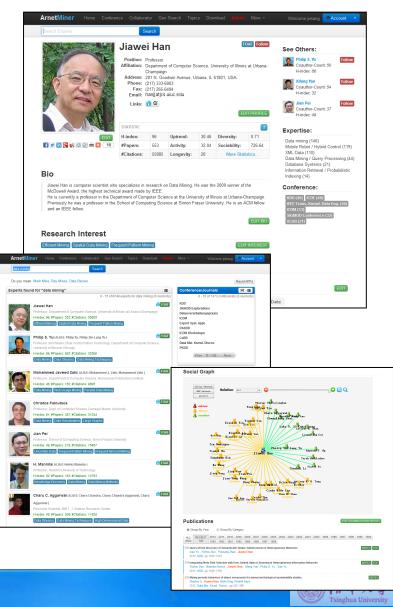




AMiner II (ArnetMiner)

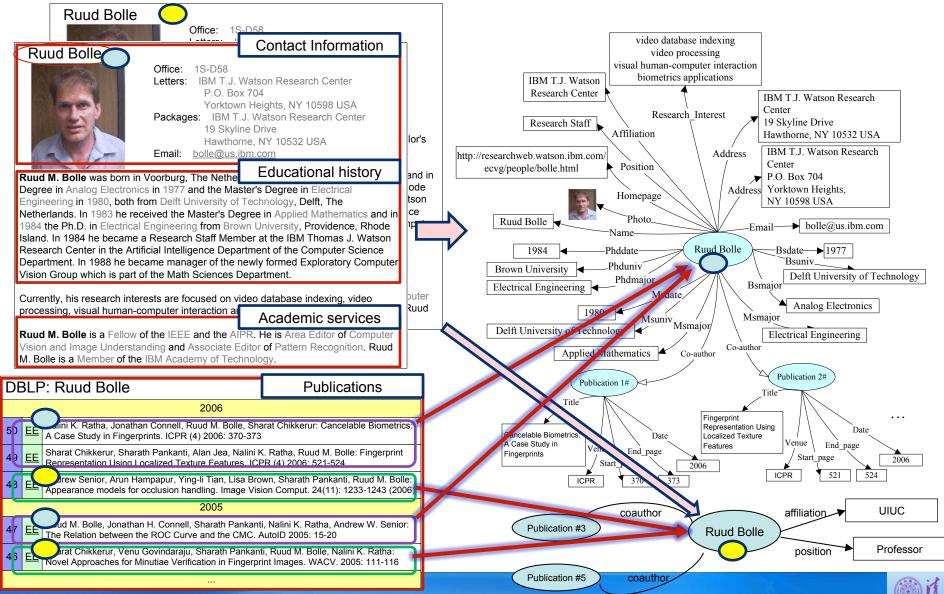


- Academic Social Network Analysis and Mining system—AMiner (http://aminer.org)
 - online since 2006
 - >38 million researcher profiles
 - >100 million publications
 - >241 million requests
 - >12.35 Terabyte data
 - I 100K IP access from 170 countries per month
 - 10% increase of visits per month
- Deep analysis, mining, and search



Knowledge Acquisition from the Web (ACM TKDD, WWW'12, ISWC'06, ICDM'07, ACL'07)

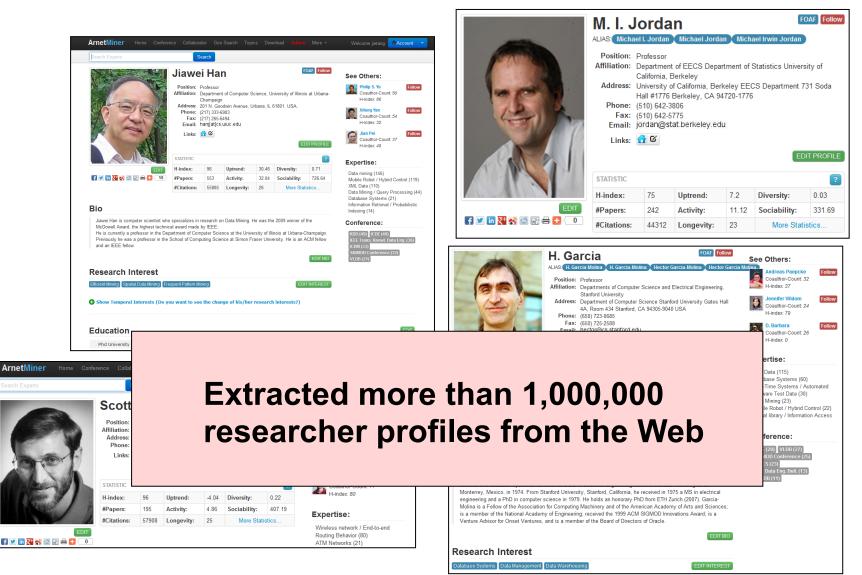




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Researcher Profile Database^[1]

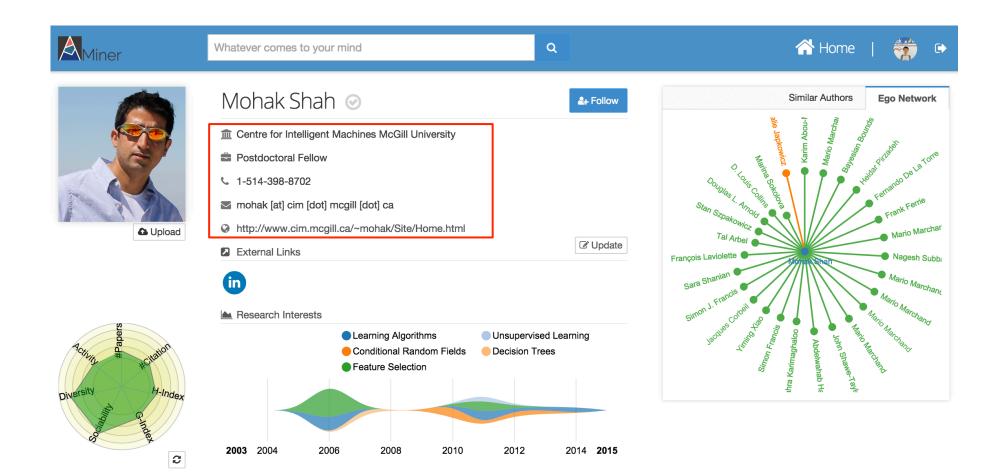




[1] J. Tang, L. Yao, D. Zhang, and J. Zhang. A Combination Approach to Web User Profiling. ACM Transactions on Knowledge Discovery from Data (TKDD), (vol. 5 no. 1), Article 2 (December 2010), 44 pages.



Is this Enough?

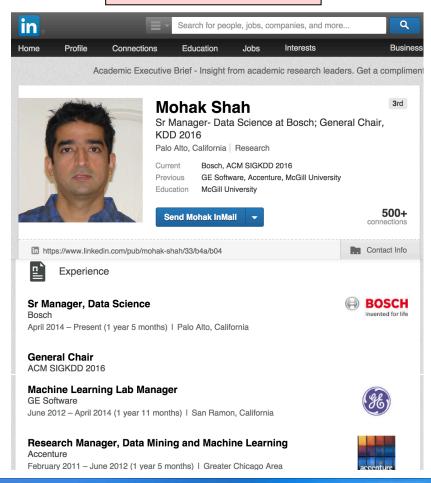




Required semantics are distributed in multiple sources



LinkedIn



Videolectures

videolectures • net



exchange ideas & share knowledge

Cultural Organization

HOME • BROWSE LECTURES • PEOPLE • CONFERENCES • ACADEMIC ORGANISATIONS

Mohak Shah



Lecture:



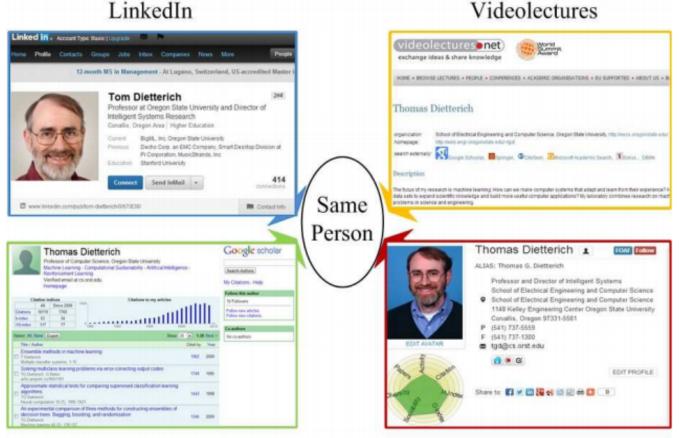
lecture Generalized Agreement Statistics over Fixed Group of Experts as author at Sessions, together with: Data & Web Mining Lab (produced by), 59 views



Identity Linking



• Identifying users from multiple heterogeneous networks and integrating semantics from the different networks together.



Google Scholar

Arnetminer



COSNET: Connecting Social Networks with Local and Global Consistency



- Input: $G = \{G^1, G^2, ..., G^m\}$, with $G^k = (V^k, E^k, R^k)$
- Formalization: $X = \{x_i\}$, all possible pairwise matchings and each corresponds to $y_i \in \{1,0\}$

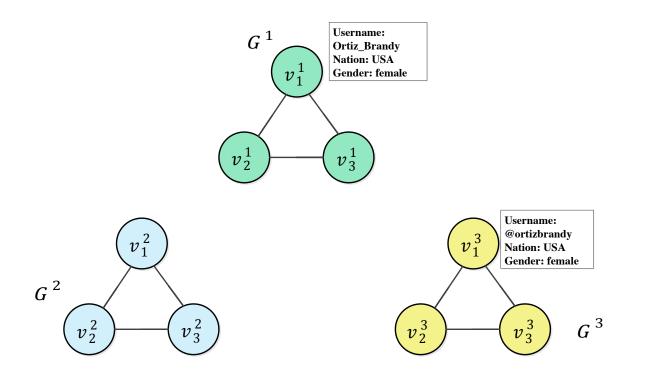
• COSNET: an energy-based model

$$Y^* = \arg\min E(Y,X)$$

[1] Yutao Zhang, Jie Tang, Zhilin Yang, Jian Pei, and Philip Yu. COSNET: Connecting Heterogeneous Social Networks with Local and Global Consistency. KDD'15.



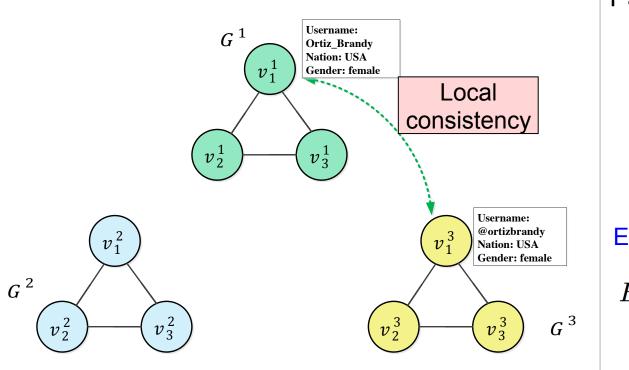
• Given three networks,







• Local matching: matching users by profiles



Pairwise similarity features

- Username similarity and uniqueness
- Profile content similarity
- Ego network similarity
- Social status

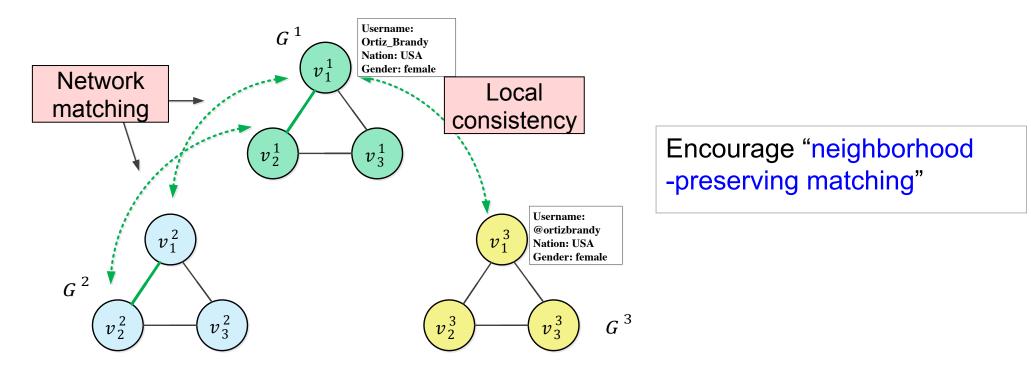
Energy function

$$E_l(Y,X) = \sum_i \mathbf{w}_l^{\mathsf{T}} \mathbf{g}_l(\mathbf{x}_i, y_i)$$





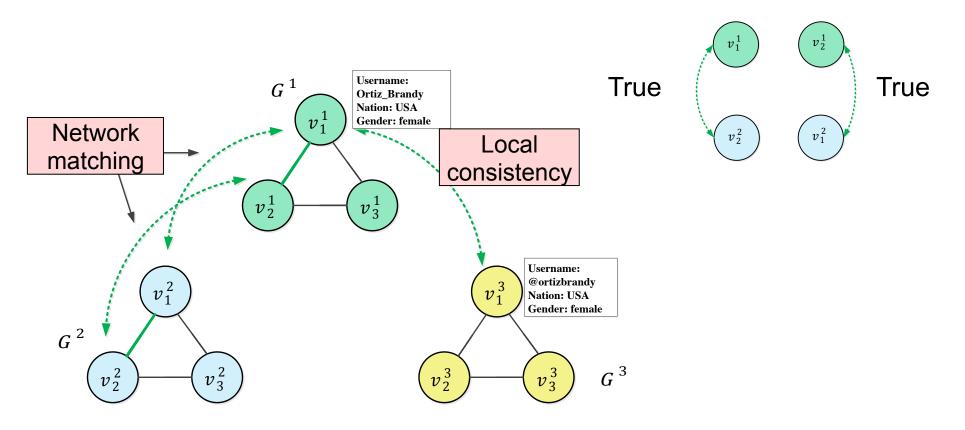
• Network matching: matching users' ego networks







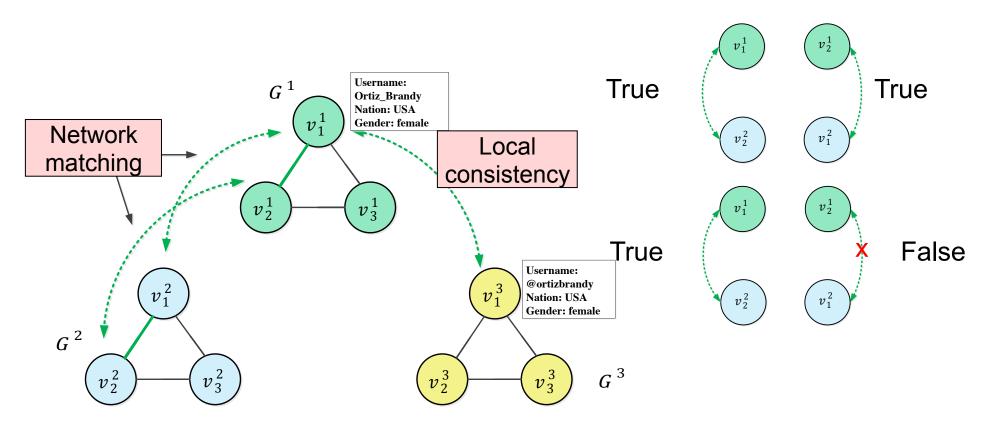
• Network matching: matching users' ego networks







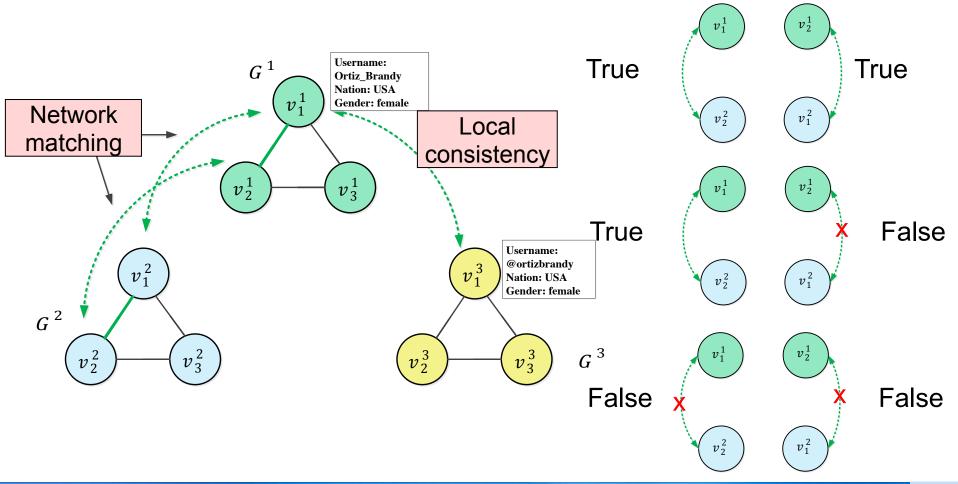
• Network matching: matching users' ego networks







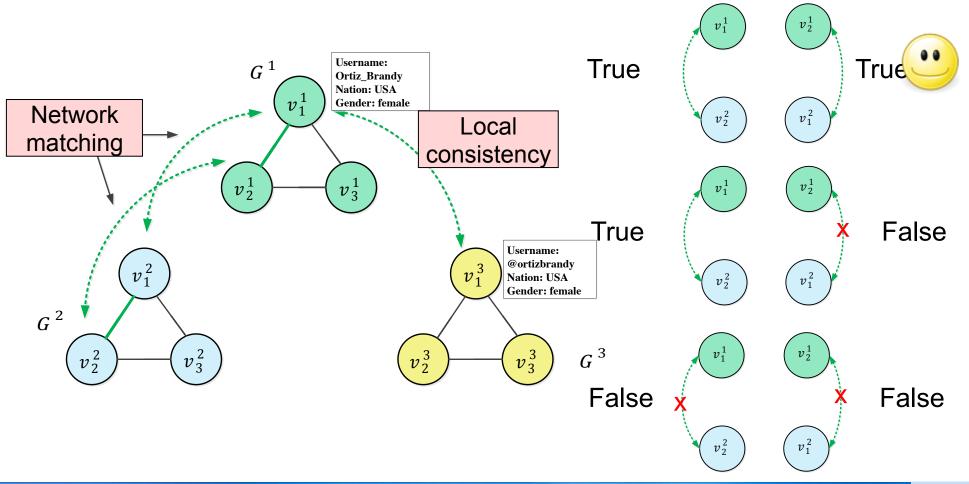
Network matching: matching users' ego networks







Network matching: matching users' ego networks

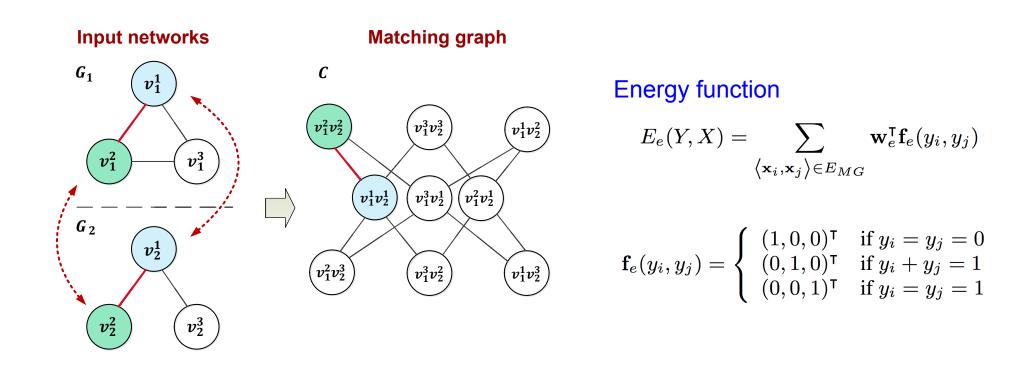




Network Matching



Network matching: matching users' ego networks





Candidate Pruning

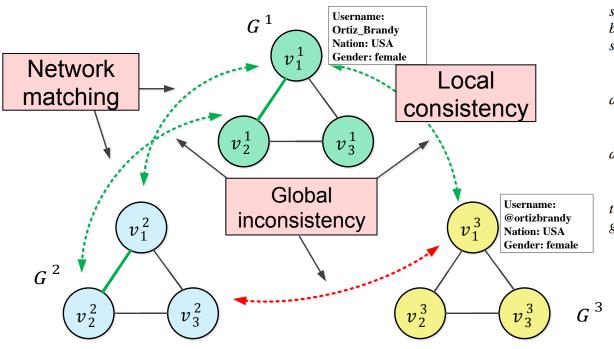


- Content-based method
 - Username similarity above a threshold
- Structure-based similarity
 - Starting from a seed mapping set and iteratively propagate the m





 Global consistency: matching users by avoiding global inconsistency



DEFINITION 2 (GLOBAL INCONSISTENCY). Given a set of social networks **G**, a set of user pairs X and the corresponding labels Y, if there exists a sequence of user pairs $\langle \mathbf{x}_{i_1}, \mathbf{x}_{i_2}, \cdots, \mathbf{x}_{i_n} \rangle$, such that

$$\forall i = i_1, i_2, \cdots, i_n, y_i = 1$$

and

$$\forall k = 1, 2, \cdots, n-1, \mathcal{V}_{i_k}^2 = \mathcal{V}_{i_{k+1}}^1$$

and

For the pair $\langle \mathcal{V}_{i_n}^2, \mathcal{V}_1^1 \rangle$, if the corresponding label $y_j = 0$

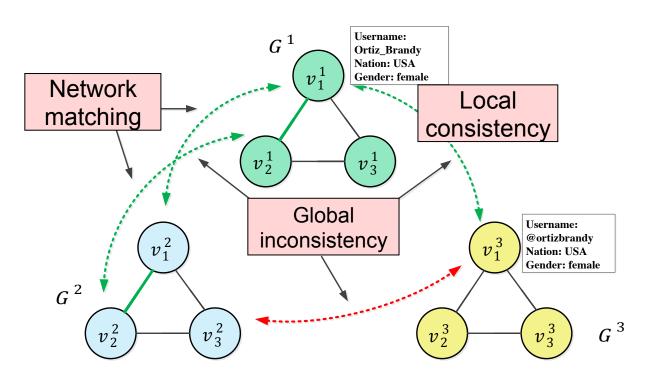
then we say that the assigned labels Y causes global inconsistency given \mathbf{G} and X.

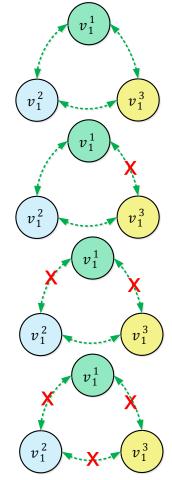
Avoid "global inconsistency"





Global consistency: matching users by avoiding global inconsistency

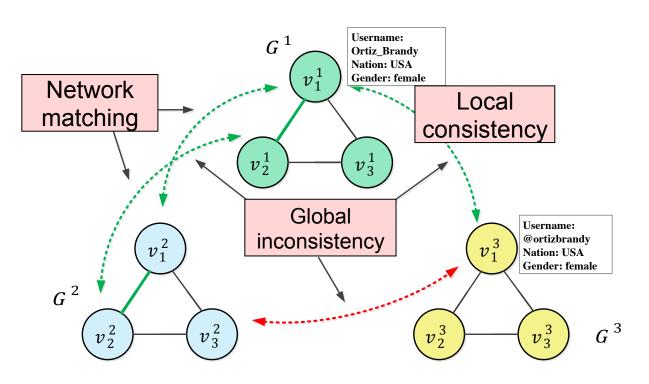


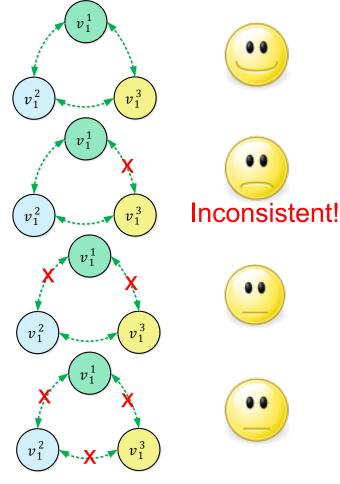






Global consistency: matching users by avoiding global inconsistency

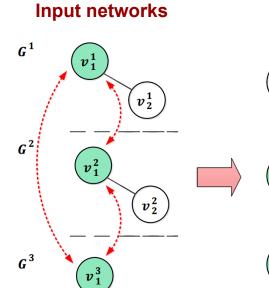


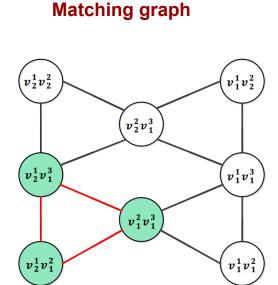




Avoid Global Inconsistency







Energy function

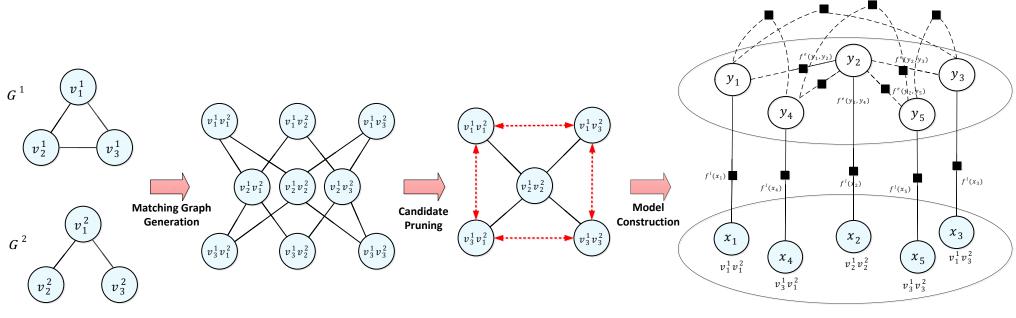
 $E_t(Y,X) = \sum_{c \in T_{MG}} \mathbf{w}_t^{\mathsf{T}} \mathbf{f}_t(Y_c)$

$$\mathbf{f}_t(y_i, y_j) = \begin{cases} (1, 0, 0, 0)^{\mathsf{T}} & \text{if } |Y_c| = 0\\ (0, 1, 0, 0)^{\mathsf{T}} & \text{if } |Y_c| = 1\\ (0, 0, 1, 0)^{\mathsf{T}} & \text{if } |Y_c| = 2\\ (0, 0, 0, 1)^{\mathsf{T}} & \text{if } |Y_c| = 3 \end{cases}$$



Model Construction





(a) Two input networks (b) The generated matching graph (c) Matching graph after pruning

(d) The constructed model

Objective function by combining all the energy functions

$$E(Y,X) = \sum_{\mathbf{x}_i \in V_{MG}} \mathbf{w}_l^{\mathsf{T}} \mathbf{g}_l(\mathbf{x}_i, y_i) + \sum_{\langle \mathbf{x}_i, \mathbf{x}_j \rangle \in E_{MG}} \mathbf{w}_e^{\mathsf{T}} \mathbf{f}_e(y_i, y_j) + \sum_{c \in T_{MG}} \mathbf{w}_t^{\mathsf{T}} \mathbf{f}_t(Y_c)$$
(2)



Model Learning



• Max-margin learning

$$\begin{split} \min_{W} \frac{1}{2} ||W||^2 + \mu\xi \\ \text{s.t.} \quad E(\hat{Y}, X; W) \leq E(Y, X; W) - \Delta(Y, \hat{Y}) + \xi \end{split}$$

• As the original problem is intractable, we use Lagrangian relaxation to decompose the original objective function into a set of easy-to-solve sub-problems

$$E(Y, X; W) = \sum_{f \in \mathcal{F}} E_f(Y_f, X_f; W)$$

=
$$\sum_{f \in \mathcal{F}} \sum_{\mathbf{x}_i \in X_f} \left(\frac{1}{|\mathcal{F}_i|} \mathbf{w}_l^{\mathsf{T}} \mathbf{g}_l(\mathbf{x}_i, y_i^f) + \mathbf{w}_f^{\mathsf{T}} f(Y_f)\right)$$

s.t. $y_i^f = y_i, \ \forall f, y_i \in Y_f$



Model Learning (cont.)



Dual decomposition

$$\begin{split} L(Y, X, \boldsymbol{\lambda}; W) &= \min_{W} \sum_{f \in \mathcal{F}} \left(\sum_{y_i \in Y_f} \frac{1}{|\mathcal{F}_i|} \mathbf{w}_l^{\mathsf{T}} \mathbf{g}_l(\mathbf{x}_i, y_i^f) + \mathbf{w}_f^{\mathsf{T}} f(Y_f) \right) \\ &+ \sum_{f \in \mathcal{F}} \sum_{y_i \in Y_f} \lambda_i^f(y_i - y_i^f) \\ \end{split}$$
 This provides a lower bound to the original function

$$\begin{split} \min_{W,\boldsymbol{\lambda}} \frac{1}{2} ||W||^2 &+ \mu(E(\hat{Y}, X; W) - \max_{\boldsymbol{\lambda}} L(Y, X, \boldsymbol{\lambda}; W)) \\ \text{s.t.} \quad \sum_{y_i \in Y_i} \lambda_i^f = 0, \ \forall f \in \mathcal{F} \end{split}$$

The resulting objective function is convex and non-differentiable, and can be solved by projected sub-gradient method





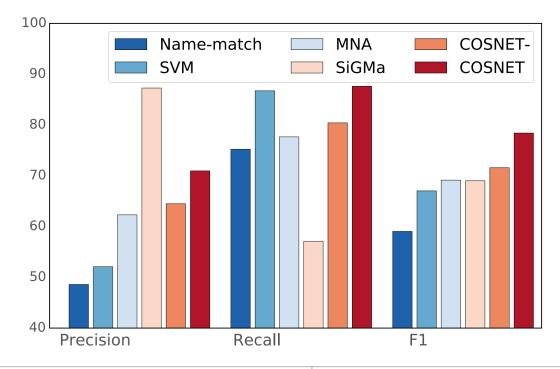
Results





Connecting AMiner with ...

LinkedIn and VideoLectures



Name-match: match name only;SSVM: use classifier to identify the same user;CMNA: an optimization method;C

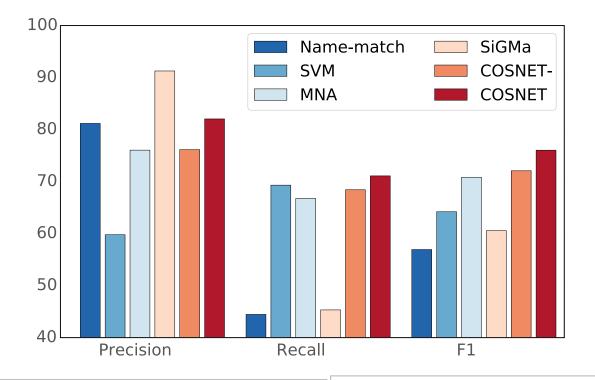
SiGMa: local propagation; COSNET: our method; COSNET-: w/o global consistency.







• Twitter, LiveJournal, Last.fm, Flickr, MySpace



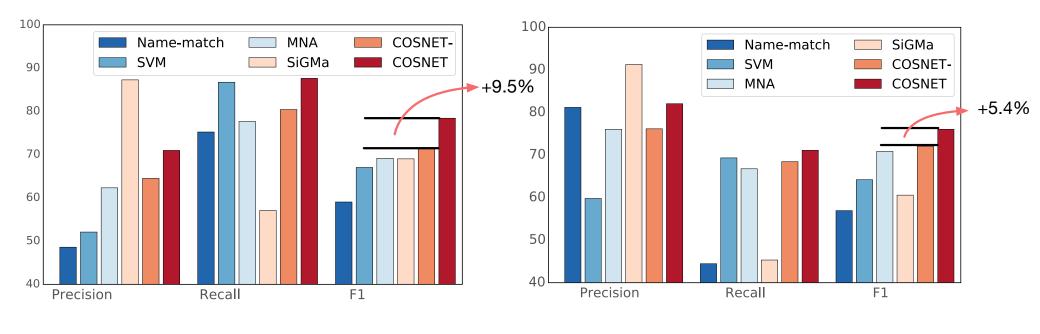
Name-match: match name only; SVM: use classifier to identify the same user; MNA: an optimization method; SiGMa: local propagation; COSNET: our method; COSNET-: w/o global consistency.



Effects of Global Consistency



COSNET-: w/o global consistency.

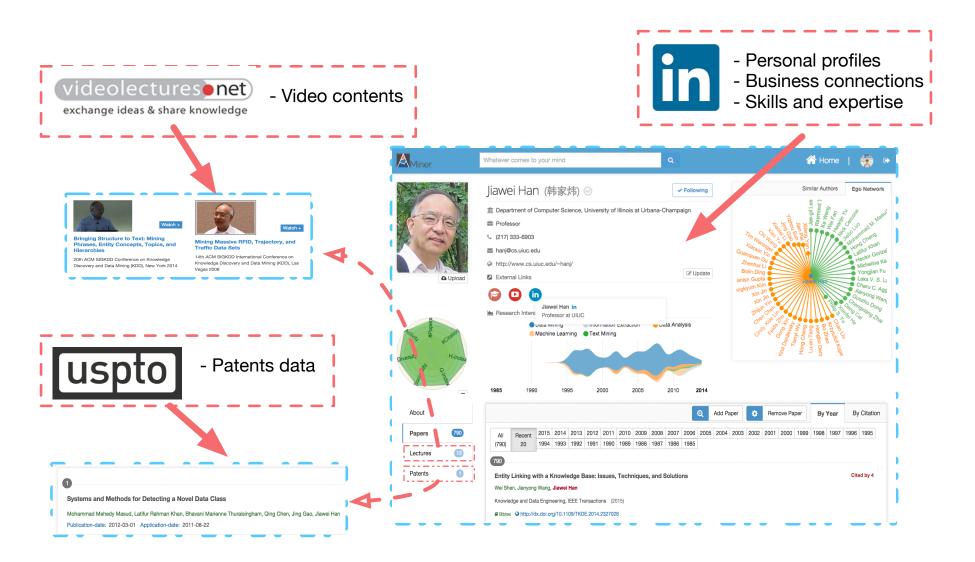


Academia Collection

SNS Collection



Application in AMiner







Thanks!



Data & source code

http://aminer.org

http://aminer.org/cosnet

